## LAST MIPS LECTURE REDO

## LECTURE 10-1

## JIM FIX, REED COLLEGE CS2-S20

## TODAY'S PLAN

A "REDO" OF THE SECOND HALF OF LAST WEDNESDAY

- LINKED LIST MIPS CODE
\SHIFTING A REGISTER'S BITS LEFT AND RIGHT
-MULTIPLICATION USING BASE TWO "SCHOOLBOOK METHOD"
- CALL STACK AND CALLING CONVENTIONS


## THIS WEEK

>HOMEWORK 09 ASSIGNED TONIGHT, DUE NEXT MONDAY.
>NO LABS TOMORROW. (Happy election day.)
>WILL HOLD OFFICE HOURS 9:30-10:30, 3:30-4:30. (See the Slack.)
>WEDNESDAY'S LECTURE WILL BE OVER ZOOM ONLY

## TRAVERSING A LINKED LIST

> MIPS code that outputs a linked list

1. print:
```
3. print_loop:
4. beqz $s1, done
# if current==nullptr goto done;
5. print_data:
6. lw lla, ($s1)
8. syscall
9. lw
10. b print_loop
```

11. done:

Check out my sample "inorder.s" that builds a linked list in sorted order.

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## SAMPLE MIPS: INORDER.S

-This starting code sets up the data for 6 linked list nodes
.data

```
next: .asciiz "next\n"
eoln: .asciiz "\n"
num_nodes: .word 6
nodes: .word 35, 0x0000, 6, 0x0000, 17, 0x0000,
3, 0x0000, 132, 0x0000, 20, 0x0000
```

.globl main
.text
It then uses \$a1 to point to the first, and scans through the rest using \$a2.
main:

| la | \$a1, nodes | \# first = the first node |
| :--- | :--- | :--- |
| addi | $\$ a 2, \$ \mathrm{a} 1,8$ | \# others $=$ first + (8 bytes) |
| lw | $\$ a 3$, num_nodes | $\#$ |
| \#ddi | $\$ a 3, \$ a 3,-1$ | $\#$ to_insert $=$ num_nodes-1 |
| each: |  |  |
| beqz | $\$ a 3$, done_insert | \# if to_insert $==0$ goto done_insert |

- We use \$a3 to keep track of how many items still need to be inserted.


## SAMPLE MIPS: INORDER.S

This sets up \$t3 to hold data for a value to be inserted insert_in_order: \$t3, (\$a2 \# load node->data

- This sets up \$t4 and \$t5 as list traversal pointers. Then we scan the list for the insertion place.

| move | $\$$ t4, \$a1 | \# curr $=$ first |
| :--- | :--- | :--- |
| li | $\$$ t5, $0 \times 0000$ | $\#$ prev $=$ null |

find_place:

| beqz | \$t4, insert | $\#$ if curr $==$ nullptr go to insert |  |
| :--- | :--- | :--- | :--- |
| lw | \$t6, (\$t4) | $\#$ load curr->data |  |
| ble | \$t3, \$t6, insert | $\#$ if node->data < curr->data |  |
|  |  | $\#$ | go to insert |
| move | \$t5, \$t4 | $\#$ prev $=$ curr |  |
| lw | \$t4, 4(\$t4) | $\#$ curr $=$ curr->next |  |
| b | find_place |  |  |

## SAMPLE MIPS: INORDER.S

>In the code below we either update $\boldsymbol{f i r s t}$, or update prev->next insert:

| addi | \$a3, \$a3, -1 | \# to_insert -= 1 |
| :--- | :--- | :--- |
| sw | \$t4, $4(\$ \mathrm{~S} 2)$ | \# node->next = curr |
| beqz | \$t5, insert_in_front | $\#$ if prev = nullptr |
|  |  |  |
|  |  | \# go to insert_at_front |

insert_middle:

| SW | \$a2, $4(\$ t 5)$ |
| :---: | :--- |
| b | bump_node |

\# prev->next $=$ node
insert_in_front:
move $\$ \mathrm{a} 1, \$ \mathrm{a} 2$
\# first = node
This code advances our pointer within the nodes array within . data.
bump_node:
addi $\$ a 2, \$ a 2,8 \quad$ \# node $=$ next node in the node array
b insert_each

## MULTIPLICATION

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return 10 * tens + ones;
return 100 * number;
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## MULTIPLICATION

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>A1: Repeated addition. Not how multiplication is perfomed. Too slow.
DA2: Use the MIPS MULT instruction, along with MiFLO and MFHI
>A3: That's probably the best way. But let's consider a third way...

## ANSWER 3: USE BIT SHIFTING OPERATIONS

>Using built-in multiplication is fine, but there is another way, too.
PRECAL: multiplying by two will shift the bits of a number left:
111 <= binary for the value 7
1110 <= binary for the value 2*7=14
111000 <= binary for the value $8 * 7=56$

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DNOTE: $10 x=(2+8) x=2 x+8 x$

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>RECALL: multiplying by two will shift the bits of a number left:

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111<=\text { binary for the value } 7
$$

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NOTE: $10 x=(2+8) x=2 x+8 x$
A: We can multiply by 2 , then by 8 , and sum the two results.
>I.E...

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NOTE: $10 x=(2+8) x=2 x+8 x$
$>$ A: We can multiply by 2 , then by 8 , and sum the two results.
>I.E. We can shift left one bit and also shift left three bits. Then add.

## ANSWER 3: USE BIT SHIFTING OPERATIONS

The code below uses the SLL instruction to do exactly that with t0:

$$
\begin{array}{ll}
\text { sll } & \$ t 1, \$ t 0,1 \\
\text { sll } & \$ t 2, \$ t 0,3 \\
\text { addu } & \$ t 0, \$ t 1, \$ t 2
\end{array}
$$

## ANSWER 3: USE BIT SHIFTING OPERATIONS

The code below uses the SLL instruction to do exactly that with t0:

```
sll $t1,$t0,1
sll $t2,$t0,3 tmp = tmp * 10
```

addu $\$ t 0, \$ t 1, \$ t 2$

- It has the effect of multiplying t0 by 10.


## ANSWER 3: USE BIT SHIFTING OPERATIONS

The code below uses the SLL instruction to do exactly that with t0:

```
sl1 $t1,$t0,1
sll $t2,$t0,3 tmp = tmp * 10
```

addu $\$ t 0, \$ t 1, \$ t 2$
>lt has the effect of multiplying t0 by 10 .
©: So how might we multiply by 100 ?

## ANSWER 3: USE BIT SHIFTING OPERATIONS

The code below uses the SLL instruction to do exactly that with t0:

```
sl1 $t1,$t0,1
sl1 $t2,$t0,3
tmp = tmp * 10
```

addu \$t0, \$t1, \$t2

It has the effect of multiplying t0 by 10 .
©: So how might we multiply by 100 ?
SAME IDEA: $100=64+32+4$
$>$ A: So we shift 2, 5, and 6 places left. Add.

## MULTIPLICATION BY 100

-The code below multiplies t0 by 100:

```
sll $t1,$t0,2
sll $t2,$t0,5
sll $t3,$t0,6
addu $t0,$t1,$t2
addu $t0,$t0,$t3
```


## SHIFTING BITS LEFT (LOGICAL)

## SHIFT A REGISTER'S BITS LEFT SOME NUMBER OF POSITIONS

SLL destination, positions
> NOTES:

- This is a "shift logical value left"
-The bits of the destination are shifted left, with the leftmost bits "lost."
-The rightmost bits shifted into the register are 000 . . 00
- It's a multiplication by $2^{\text {positions }}$ but with limited precision.


## SHIFTING BITS RIGHT (LOGICAL)

## SHIFT A REGISTER'S BITS LEFT SOME NUMBER OF POSITIONS

SRL destination, positions

- NOTES:
- This is a "shift logical value right"
- The bits of the destination are shifted right, with the rightmost bits "lost."
- The leftmost bits shifted into the register are 000 . . 00
- It's a division by $2^{\text {positions }}$ but with limited precision, treating the number as an unsigned value.


## SHIFTING BITS RIGHT (ARITHMETIC)

## SHIFT A REGISTER'S BITS RIGHT SOME NUMBER OF POSITIONS

SRA destination , positions

- NOTES:
- This is a "shift arithmetic value right"
- The bits of the destination are shifted right, with the rightmost bits "lost."
- The leftmost bits shifted in are sss . . ss where s is the sign bit.
- It's a division by $2^{\text {positions }}$ with limited precision, treating the number as a two's complement encoded integer.


## SAMPLE MIPS: BITSINREVERSE.S

-This outputs the bits of a register's value, in reverse order:
output_loop: beqz \$t1, done \# if $y==0$ go to done andi $\$ t 0, \$ t 1,1$
\# bit = x \% 2
output_bit:

| li | \$v0, | 1 |
| :--- | :--- | :--- |
| move | $\$ a 0$, | \#to |
| syscall |  | $\#$ |
|  |  | $\#$ |

shift_right:
$\begin{array}{ll}\text { sra } & \$ t 1, \$ t 1,1 \\ \text { b } & \text { output_loop }\end{array} \quad \#$ x /= 2
done:

## SAMPLE MIPS: BITS.S

- This outputs the bits of a register's value in the correct order:

```
    li $t2, 0x80000000 # set up the bit mask
    li $t4, 0 # start = false
output_loop:
    beqz $t2, done # if mask == 0 go to done
    and $t0, $t1, $t2 # extract the bit using the bit mask
    li $t3, 0 # bit = 0
    beqz $t0, after_set_1
    li $t3, 1 # bit = 1
    li $t4, 1 # start = true
after_set_1:
    beqz $t4, shift_right
output_bit:
    li $v0, 1 # print(bit)
    move $a0, $t3 #
    syscall #
shift_right:
    srl $t2, $t2, 1 # shift the bit mask right
    b output_loop
```

done:

## SCHOOLBOOK MULTIPLICATION IN BINARY

- Suppose we want to multiply 34 by 11 using binary notation:


## SAMPLE MIPS: MULTIPLY.S

>The resulting "schoolbook" code is surprisingly compact

```
multiply:
```

$1 i \quad \$ t 0,0$
multiply_loop:
beqz \$t2, report
andi $\$ t 3, \$ t 2,1$
beqz \$t3, skip
add \$t0, \$t0, \$t1
sll \$t1, \$t1, 1
sra \$t2, \$t2, 1
b

```
    multiply_loop
report:
```


## FUNCTION CALLS IN MIPS

The MIPS ystem calls hint at a more general mechanism we need, namely...
0: How do we mimic C++'s function calling mechanism in MIPS?
A: By following the MIPS function calling conventions and stack discipline. OUTLINE:

〉SOME SIMPLE C++ EXAMPLES
-CALL/RETURN WITH JALJJR ; PARAMETER PASSING
>CREATE/PUSH AND TAKE-DOWN/POP OF STACK FRAME
>EXAMINE CONVENTIONS FOR SAVING REGISTERS' VALUES ON THE FRAME

## RECALL: FUNCTIONS IN C++

- We considered this C++ program:

1. int two_digits(int tens, int ones) \{
2. return 10 * tens + ones;
3. \}
4. int times 100 (int number) \{
5. return 100 * number;
6. \}
7. int main(void) \{ int A, B, C, D;
8. cin >> A;
9. cin >> B;
10. cin >> C;
11. cin >> D;
12. int hi = two_digits(A,B);
13. int lo = two_digits (C,D);
14. int $\mathrm{n}=$ times $100(\mathrm{hi})+\mathrm{lo}$;
15. cout $\ll n \ll$ endl;
16.\}

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## RECALL: FUNCTIONS IN C++

## - We considered this $\mathrm{C}++$ code

```
    1. int two_digits(int tens, int ones) {
```

    2. return 10 * tens + ones;
    3. \}
    4. int times 100 (int number) \{
    5. return 100 * number;
    6. \}
    7. int four_digits(int \(w\), int \(x\),int \(Y\),int \(z\) ) \{
    return times 100 (two_digits (w,x)) + two_digits(y,z);
    9. \}
10. int main(void) $\{$ int $A, B, C, D ;$
10. cin >> A;
11. cin $\gg B$;
12. $\quad$ cin $\gg C$;
13. cin $\gg$ D;
14. cout $\ll$ four_digits $(A, B, C, D) \ll$ endl;
16.\}
-We're going to work to convert this and the earlier example into MIPS code.

## JUMPING FOR CALL AND RETURN

-There are two "jump" instructions used to call and return from functions:

- JAL label
-This jumps to the callee code at that label.
- It saves the return address into register $\mathbf{\$ r a}$
-The return address is for the caller's instruction just below the JALL.
- JR \$ra
-This jumps from the callee back to the instruction below the call site.
-The caller then continues executing.


## SPECIAL REGISTERS IN MIPS

-There are several conventions for registers in MIPS:

- Registers $\mathbf{\$ a 0} \mathbf{-} \mathbf{\$} \mathbf{3}$ hold the arguments for the call. (The first 16 bytes.)
- Registers \$v0-\$v1 hold the result of the call.
- Registers Sra holds the return address of the call.
- Registers $\mathbf{\$ f p}$ and $\mathbf{\$} \mathbf{f p}$ mark the top and bottom of the stack frame.


## STACK FRAME DISCIPLINE

- The MIPS calling conventions designate that...
- register fp points to the byte just above the top of a function's frame.
- register $\mathbf{s p}$ points to the byte just at the bottom of a function's frame
>...and that the callee preserve the caller's frame.



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## STACK FRAME DISCIPLINE

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## STACK FRAME DISCIPLINE (CONT'D)

-The MIPS calling conventions designate that...

- the frame size should be at least 32 bytes
- the addresses in fp and sp should be word-aligned (multiples of 4).
- (some say they should be double-word aligned (multiples of 8)


## CODE STRUCTURE

- Every call site has a prologue and an epilogue:
- The caller's prologue saves registers and sets up arguments.
- Its epilogue gets the return value and restores saved registers.
- Every function's code has a prologue and an epilogue:
- The callee's prologue sets up its frame, saves registers, grabs arguments.
- Its epilogue restores registers, takes down the frame, sets the return value.


## CALLEE-SAVED REGISTERS

-The MIPS calling conventions designate that...

- Registers need to be preserved with a function call. No clobbering!
>Some registers are "callee-saved"
- The function called must save the values of these registers on the stack before using them.
-It must restore their values from the stack before it retuns to the caller.
- These registers' values are guaranteed to be preserved with a function call.


## CALLER-SAVED REGISTERS

-The MIPS calling conventions designate that...

- Registers need to be preserved with a function call. No clobbering!
- Some registers are "caller-saved"
- The caller saves these on the stack before calling a function.
- The caller restores them from the stack after the call.
- These registers' values may not be preserved with a function call.


## FOUR_DIGITS IN MIPS USING T REGISTERS

```
four_digits:
    sw $ra,-4($sp)
    sw $fp,-8($sp)
    move $fp,$sp
    addi $sp,$sp,-32
    sw $a2,-20($fp)
    sw $a3,-24($fp)
    jal two_digits
    move $t0,$v0
    sw $t0,-12($fp)
    lw $a0,-20($fp)
    lw $a1,-24($fp)
    jal two_digits
    move $t1,$v0
    sw $t1,-16($fp)
    lw $t0,-12($fp)
    move $a0,$t0
    jal times100
    lw $t1,-16($fp)
    add $v0,$v0,$t1
    addi $sp,$sp,32
    lw $fp,-8($sp)
    lw $ra,-4($sp)
    jr $ra
```


## MIPS CALLING CONVENTIONS SUMMARY: THE CALLER

> Before the caller calls a function...

- It saves caller-saved registers (a0-a3, t0-t9) onto its stack frame.
- It places the parameters into registers a0-a3.
- It pushes 5th, 6th, etc parameters onto the bottom of its stack frame.
>Using JAL saves a return address to register ra.
-After the function is called...
- The caller restores registers it has saved, if needed.
- It extracts the return value from register v0 and v1.


## MIPS CALLING CONVENTIONS SUMMARY: THE CALLEE

-When a function is called...

- It saves callee-saved registers ( $\mathrm{fp}, \mathrm{sp}$, ra, $\mathrm{s0} 0 \mathrm{~s} 7$ ) onto its stack frame.
- It extracts argument registers a0-a3 and from slots just above its frame.
- It normally sets fp to the old sp , subtracts an offset from sp .
= The offset it chooses is the callee's frame size. It has to be a multiple of 8 .
- Before a function returns...
- It puts the return value into register v0 and v1.
- It restores registers for the caller, including fp, sp, and ra.
- It then performs JR \$RA to return control back to the caller.


## FOUR_DIGITS IN MIPS WITH SOME CLEAN-UP

```
four_digits:
    Sw $ra,-4($sp)
    sw $fp,-8($sp)
    move $fp,$sp
    addi $sp,$sp,-32
    sw $a2,-16($fp)
    sw $a3,-20($fp)
    jal two_digits
    sw $v0,-12($fp)
    lw $a0,-16($fp)
    lw $a1,-20($fp)
    jal two_digits
    lw $a0,-12($fp)
    sw $v0,-12($fp)
    jal times100
    lw $t1,-12($fp)
    add $v0,$v0,$t1
    addi $sp,$sp,32
    lw $fp,-8($sp)
    lw $ra,-4($sp)
    jr $ra
```


## CAN SEE COMPLLER BEHAVIOR ONLINE

Check out https://godbolt.org/

